

Report on Laboratory Experiment No 3 Hydrogen Spectrum Research and Determination of Rydberg Constant

The student:

Group _____
 First name _____
 Last name _____

is **allowed** to do the laboratory work.

_____ Date

_____ Signature of the teacher

Purpose of work

Study a visible region of the hydrogen emission spectrum and determination of Rydberg constant

Theoretical principals of work

Arrangement of the lines of the hydrogen emission spectrum is described by the formula:

_____ (1), where
 λ is _____, R is _____,
 n is _____, m - _____

From expression (1) follows that the hydrogen emission spectrum consist of several series which are represented in the scheme of energetic levels (Figure 1) by the vertical arrows.

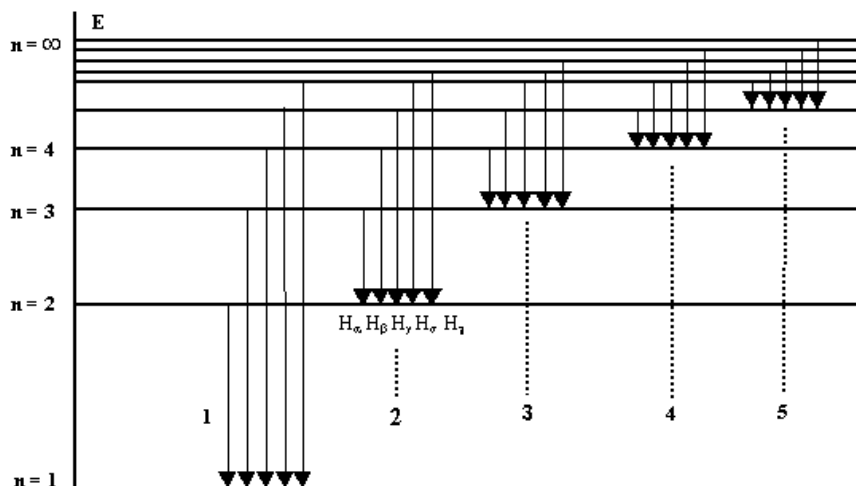


Fig.1.

It is clear from Figure 1 that Lyman series appears as a result of transition of atom from one of the higher levels with $m =$ _____ to the basic one $n =$ _____

The Balmer series – from the levels with $m =$ _____ to the level with $n =$ _____
 The Paschen series – from the levels with $m =$ _____ to the level with $n =$ _____
 The Brackett series – from the levels with $m =$ _____ to the level with $n =$ _____
 In this laboratory experiment the wavelength of the lines of the _____ series are measured. These lines are designated by the symbols:
 H_α - red line ($m =$ ___), H_β - bluish-green ($m =$ ___), H_γ - blue ($m =$ ___), H_δ - violet ($m =$ ___).

Experimental Setup

Figure 2 shows scheme of monochromator

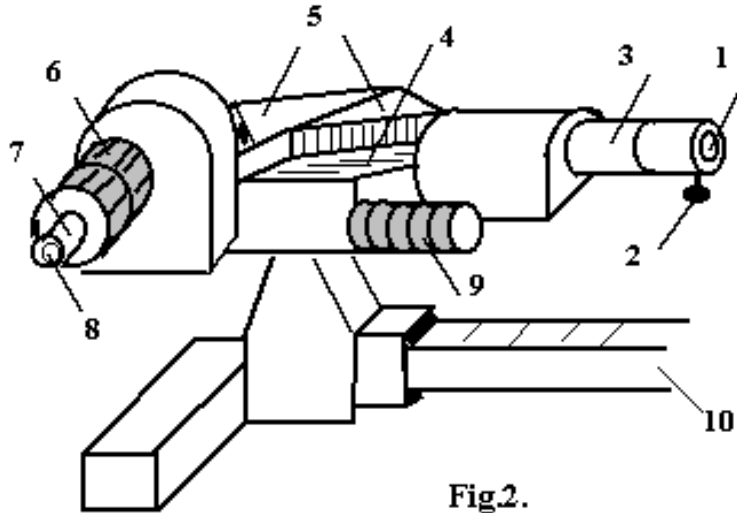


Fig.2.

Collimator is intended for _____

Prism is intended for _____

Output tube is intended for _____

MEASUREMENT RESULTS

a) Calibration of monochromator.

Calibrate monochromator means _____

Record the results of calibration according the known mercury spectrum in the Table 1

Table 1

λ , nm							
n^0							

b) The Rydberg constant determination.

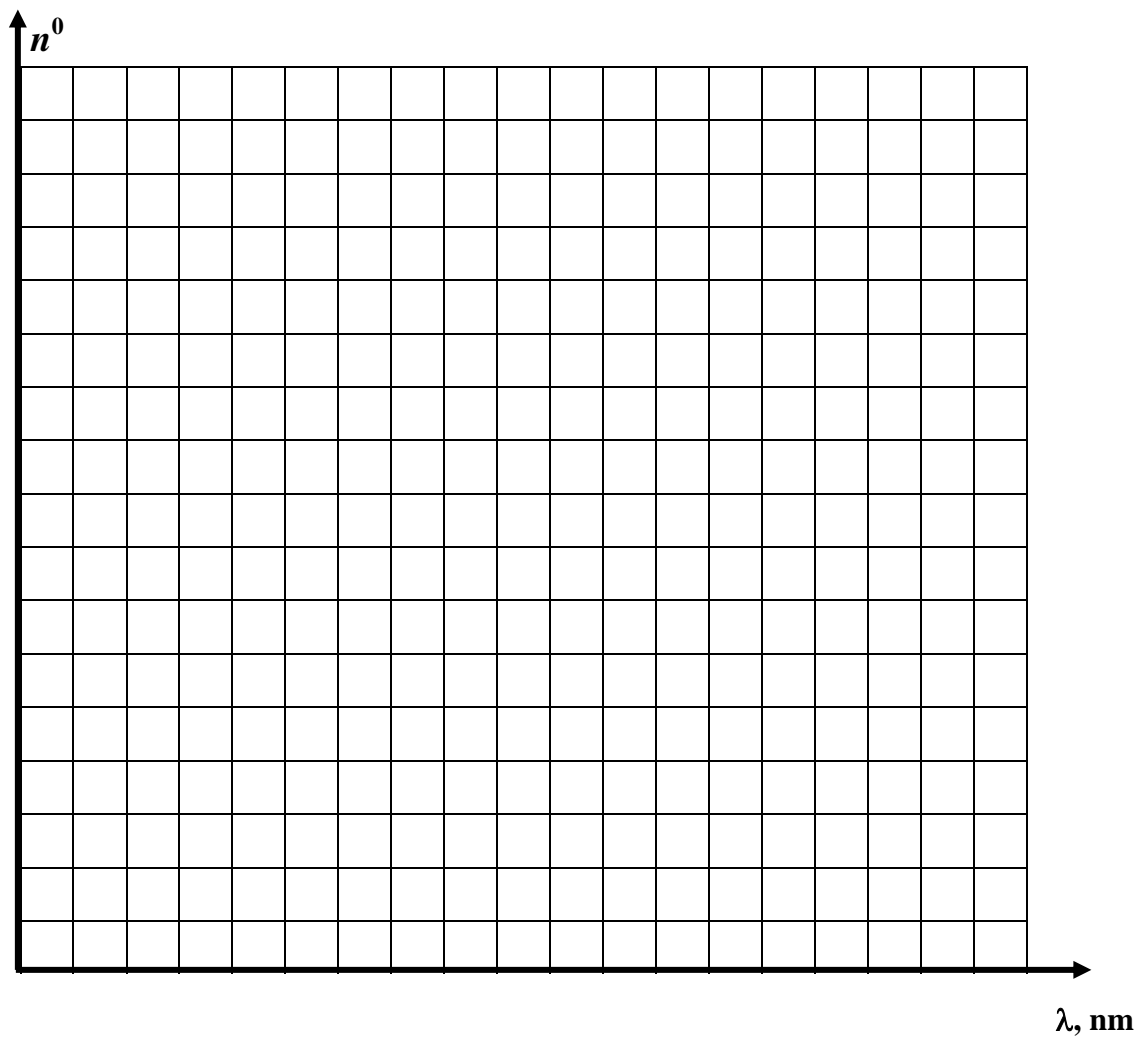
Replace mercury luminescent lamp by hydrogen discharge lamp and data of determination of spectral lines position of the Balmer series record to the table 2.

Table 2

m	3	4	5	6
n_0				
λ , nm				
$\tilde{\nu}$, cm^{-1}				
R , cm^{-1}				

Results of Calculation

Calibration curve



By formula (1) calculate the Rydberg constant for $m =$ _____

$$R = \frac{\tilde{\nu}}{\frac{1}{n^2} - \frac{1}{m^2}} = \dots, \quad R_{av.} = \frac{\sum_{i=1}^4 R_i}{4} = \dots$$

Error Analysis

$\Delta\tilde{R} = \tilde{R} \frac{\Delta\tilde{\lambda}}{\tilde{\lambda}}$ – is estimation of absolute error for R ; $\Delta\tilde{\lambda} =$ _____

_____ and finally $\Delta\tilde{R} =$ _____

Relative error $\frac{\Delta\tilde{R}}{R} \cdot 100\% =$ _____

Round off the value of $\Delta\tilde{R}$ and give the result in the form:

$$\bar{R} = \tilde{R} \pm \Delta\tilde{R} =$$

Resume

Test questions

1. Cite Bohr's postulates.
2. What shape of the spectrum is characteristic for gaseous substances? What is the nature of spectral lines?
3. What peculiarities are in the hydrogen spectrum? Record a formula for the hydrogen spectral series. What senses have the values in this formula?
4. How many spectral series has the hydrogen spectrum? How does the Bohr theory explain an origin of these series?
5. Energy of hydrogen atom in the first excited state ($n = 2$) equals 3.4 eV. Calculate the energies of stationary states correspond to the H_α , H_β , H_γ , and H_δ lines.

Answers

Realized by the student:

Group _____

First name _____

Last name _____

Approved by the teacher:

Date

Signature of the teacher