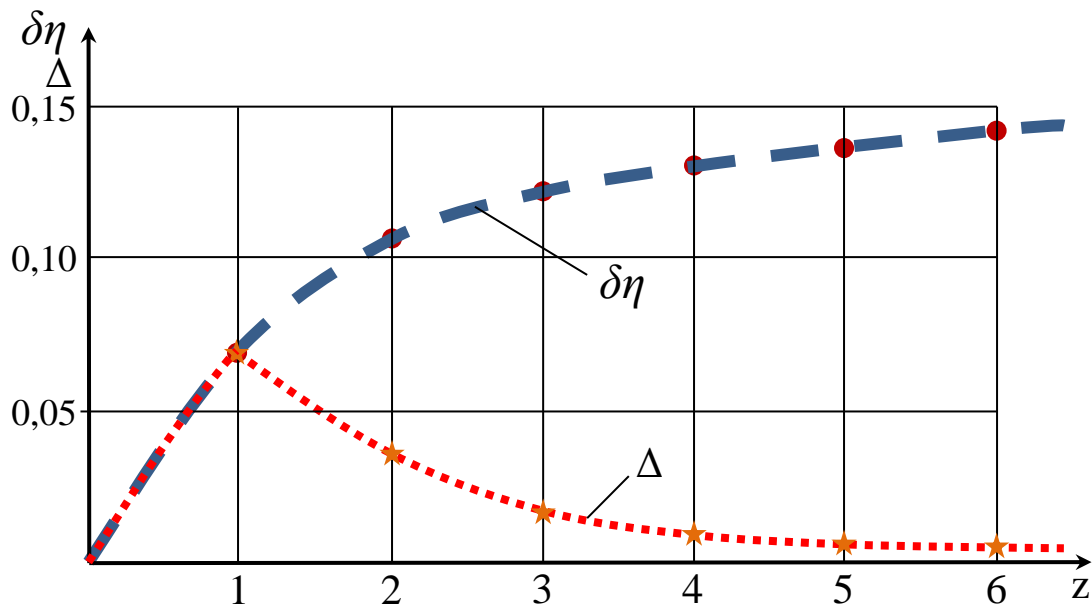


Generalizing conclusions



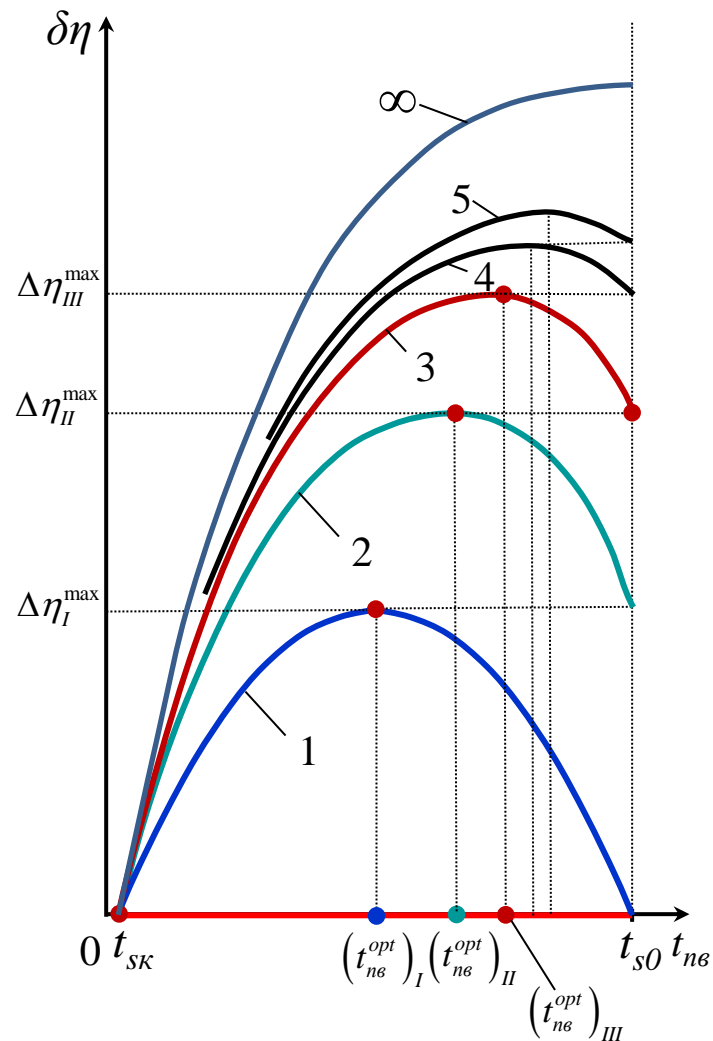
$$\Delta = \delta\eta_j - \delta\eta_{(j-1)}$$

(\approx) Feed water optimal temperature

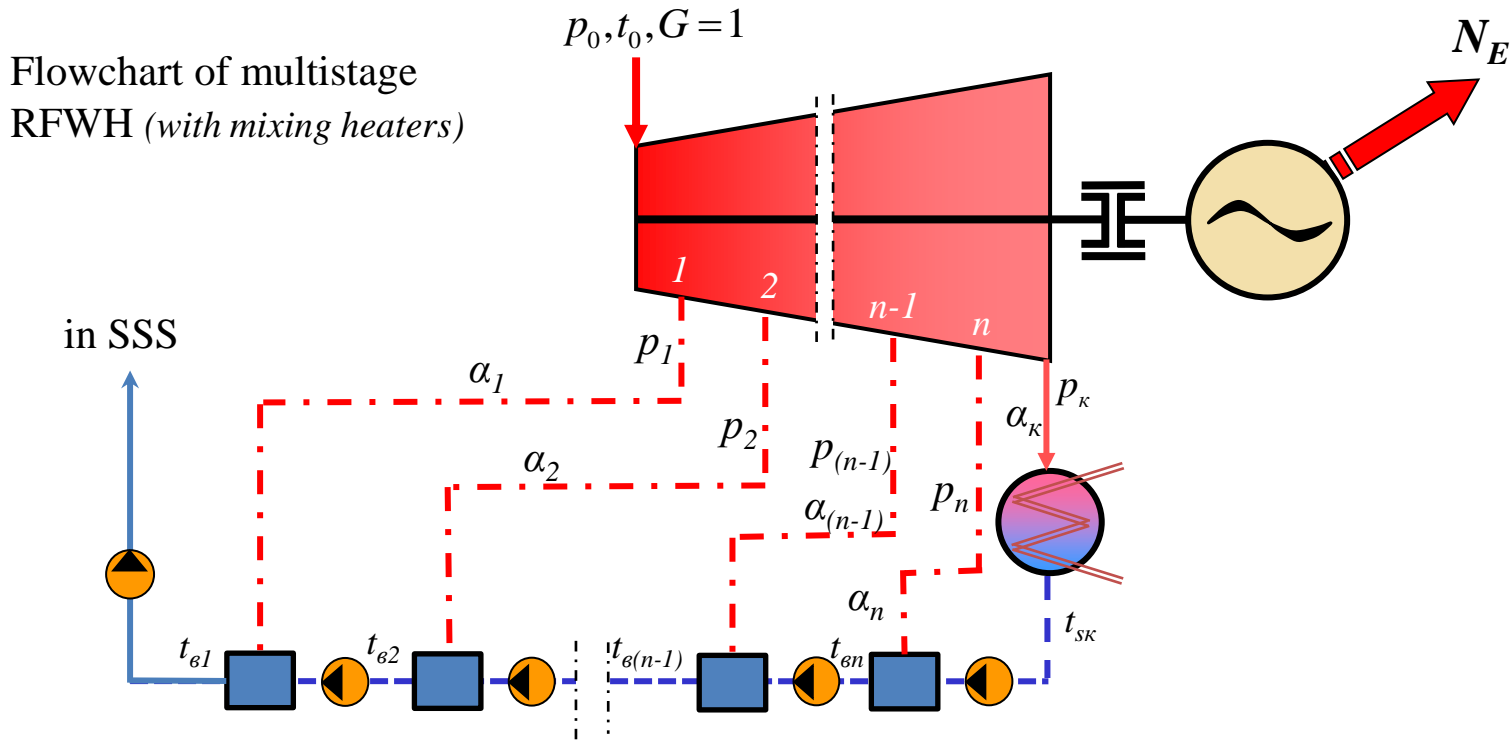
$$(t_{ne}^{opt})_z = t_{sk} + \frac{z}{z+1}(t_{s0} - t_{sk})$$

(\approx) Optimal water heating of the regenerative feed water heating stage

$$(\Delta t_e)^{opt}_j = t_{e_j} - t_{e_{(j+1)}} = \frac{(t_{ne} - t_{sk})}{z}$$



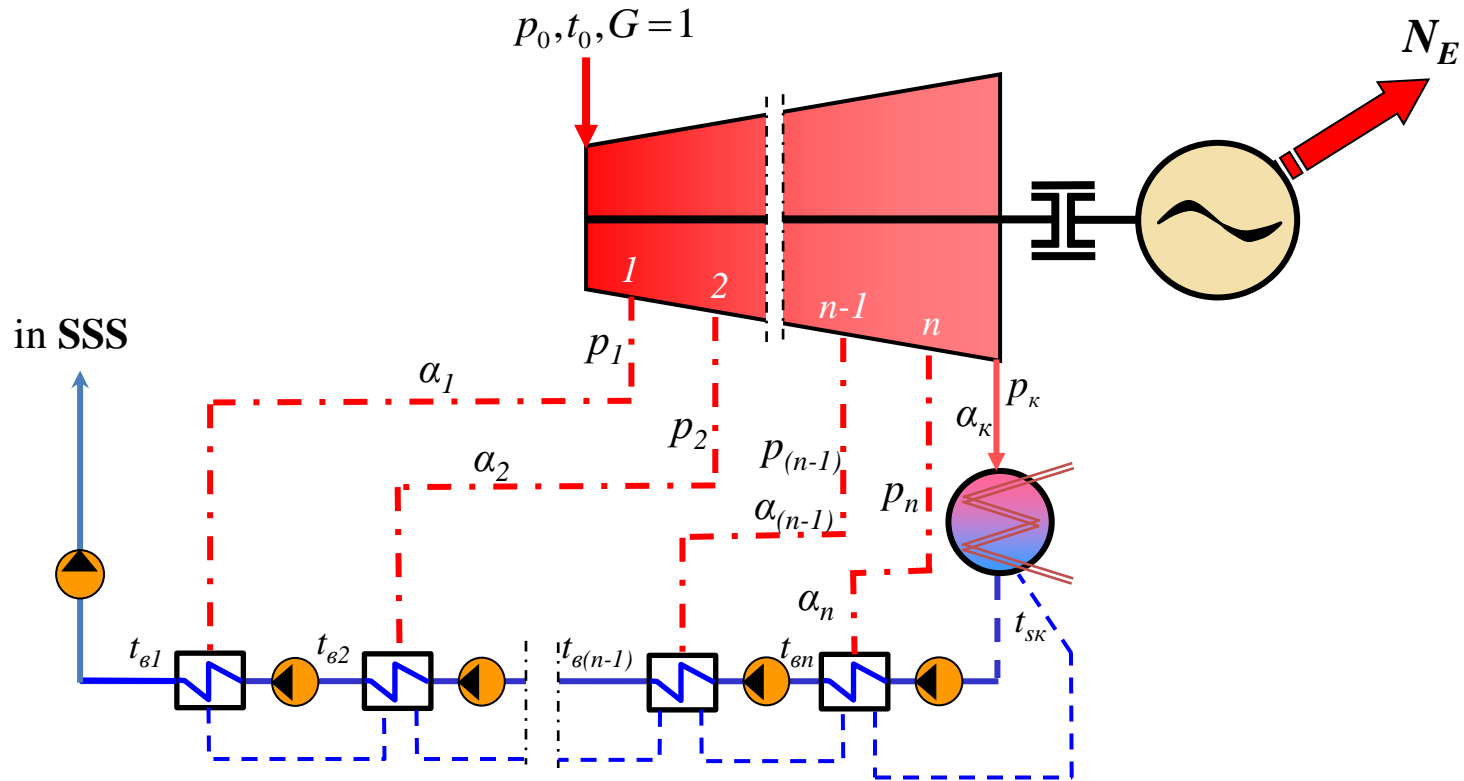
2.5.3. Determination of steam flow for the turbine with RFWH



Heaters used in RFWH flowcharts:

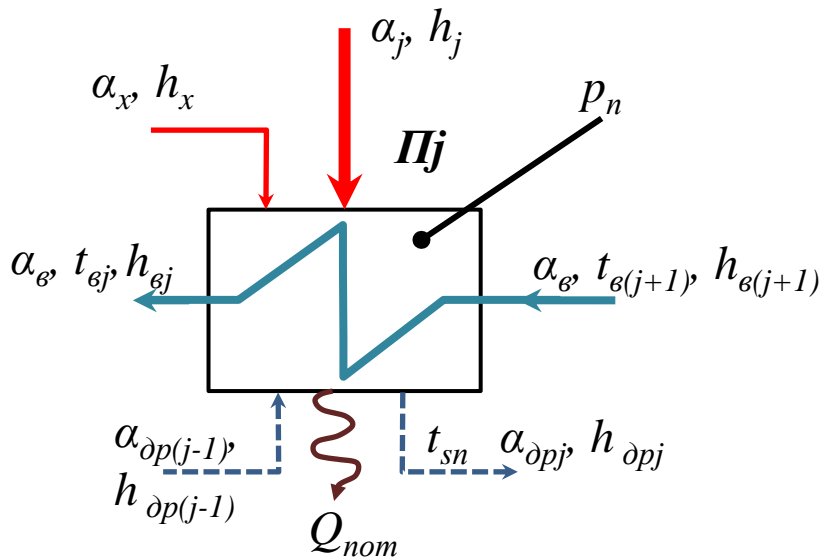
- closed heaters
- mixing heaters

Cycle arrangement of the multistage RFWH (with closed heaters)



Cascaded drain is used in the cycle with closed heaters

Closed heater



$$\alpha_{\delta pj} = \alpha_j + \alpha_x + \alpha_{\delta p(j-1)}$$

$$h_{\delta pj} = h'_j = f(p_n)$$

$$t_{\epsilon j} = t_{sn} - \Theta_n$$

$$\Theta_n = (2 \div 7)^\circ \text{C}$$

$$h_\epsilon = f(t_\epsilon, p_\epsilon)$$

Heat balance equation for the heater (conservation of energy)

For a closed heater, it can be formulated as

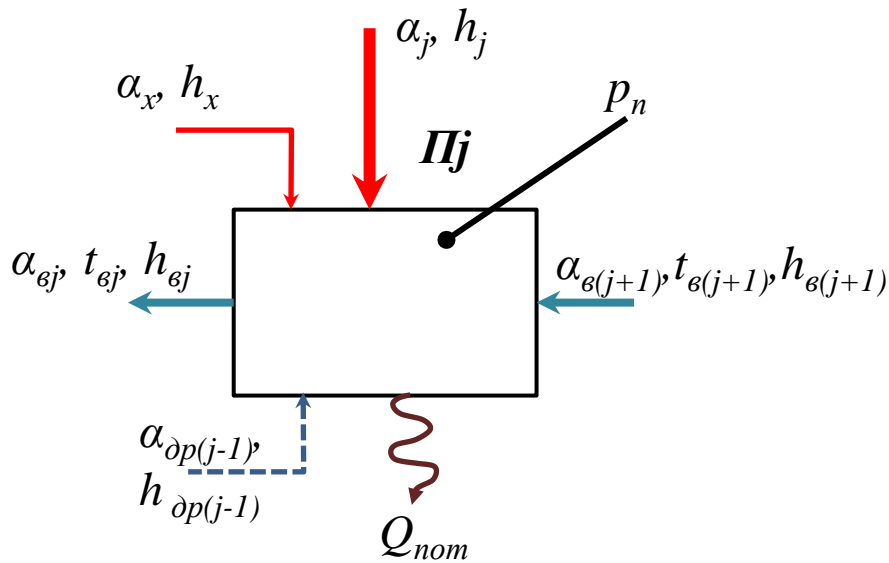
- the amount of heat released is equal to the amount of heat absorbed

$$\alpha_j (h_j - h_{\delta pj}) + \alpha_x (h_x - h_{\delta pj}) + \alpha_{\delta p(j-1)} (h_{\delta p(j-1)} - h_{\delta pj}) = \alpha_\epsilon (h_{\epsilon j} - h_{\epsilon(j+1)}) \frac{1}{\eta_n}$$

$$\eta_n = (0,98 \div 0,99)$$

$$\alpha_j = \frac{\alpha_\epsilon (h_{\epsilon j} - h_{\epsilon(j+1)}) \frac{1}{\eta_n} - \alpha_x (h_x - h_{\delta pj}) - \alpha_{\delta p(j-1)} (h_{\delta p(j-1)} - h_{\delta pj})}{(h_j - h_{\delta pj})}$$

Mixing heater



$$t_{\epsilon j} = t_{sn} - \Theta_{cm} = t_{sn}, \quad \text{T.K. } \Theta_{cm} \approx 0$$

$$h_{\epsilon} = h'_{\epsilon} = f(p_n)$$

Material balance equation for the heater:

$$\alpha_{\epsilon j} = \alpha_{\epsilon(j+1)} + \alpha_j + \alpha_x + \alpha_{\delta p(j-1)}$$

Heat balance equation for the heater (conservation of energy)

For a mixing heater, it can be formulated as:

-the amount of heat absorbed is equal to the amount of heat released

$$\alpha_{\epsilon(j+1)} h_{\epsilon(j+1)} + \alpha_j h_j + \alpha_x h_x + \alpha_{\delta p(j-1)} h_{\delta p(j-1)} = \alpha_{\epsilon} h_{\epsilon j} \frac{1}{\eta_n}$$

$$\eta_n = (0,98 \div 0,99)$$

$$\alpha_j = \frac{\alpha_{\epsilon(j+1)} \left(\frac{h_{\epsilon j}}{\eta_n} - h_{\epsilon(j+1)} \right) + \alpha_x \left(\frac{h_{\epsilon j}}{\eta_n} - h_x \right) + \alpha_{\delta p(j-1)} \left(\frac{h_{\epsilon j}}{\eta_n} - h_{\delta p j} \right)}{\left(h_j - \frac{h_{\epsilon j}}{\eta_n} \right)}$$